Predict Locational Marginal Greenhouse Gas Emission Factors of Electricity with Spatial-Temporal Graph Convolutional Networks

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Abstract—The electric power system is one of the main contributors of greenhouse gas (GHG) emissions. To reduce GHG emissions, accurate emission predictions are essential. The marginal emission factor (MEF) is a useful signal for distributed energy resource aggregators and end-use customers to mitigate GHG emissions by scheduling the flexible loads accordingly. The existing methods of locational MEF prediction often have high computational burden, low prediction accuracy, and low time granularity. In this paper, we propose a hybrid machine learning framework to predict GHG emissions and locational MEF, which integrates feed-forward neural networks (FNNs) with spatio-temporal graph convolutional networks (STGCNs). By leveraging the power of STGCN, the proposed framework is able to capture the spatio-temporal pattern in power grid data. A comprehensive case study in California shows that the proposed approach outperforms the existing techniques in prediction accuracy. The proposed model can provide short-term locational MEF predictions with high time granularity by using only publicly available dataset.

Index Terms—Greenhouse gas emission, spatio-temporal graph convolutional network, graph neural network, deep learning.

1. INTRODUCTION

Excessive emission of greenhouse gas (GHG) can cause global climate change and notable environment impact, such as global warming and rising sea-levels. Reducing GHG emission is the key to slowing such detrimental processes. The U.S. government has announced a target of 50-52% GHG emission reduction below 2005 levels by 2030 [1]. The electric power system is one of the main contributors of GHG emissions, producing about 25% of the total GHG emissions [2]. In power system operations, a mixture of generation resources are coordinated not only to meet the varying electricity demand with least cost while satisfying a number of operational constraints. Different generation resources have different levels of GHG emissions. Fossil-fueled power plants are major GHG emission sources while solar and wind resources do not emit GHG at all in daily operations. The GHG emission from power systems is influenced by many factors [3] such as generation mix, time of the day, season, electric load level, and the topology of the power system.

To reduce GHG emissions, accurate GHG emission predictions are in critical need. There are two major GHG emission factors: average emissions factor (AEF) and marginal emissions factor (MEF). The AEF is calculated as the ratio of total GHG emissions to the total power consumption. The MEF is the ratio of the change of GHG emissions to the change of power consumption. Compared with AEF, MEF is a more useful tool for distributed energy resources aggregators and end-use customers to make intelligent decisions about how much electricity should be consumed at different time slots of a day. MEF signals can be sent along with electricity prices signals to flexible loads and other smart technologies of the residential, commercial and industrial customers [4]. Based on the MEF signals, flexible loads, such as electric vehicles (EVs), smart thermostats, and batteries can consume or charge less power during high MEF hours and more power during low MEF hours. MEF can also be considered in new electricity pricing design to help reduce GHG emissions.

GHG emission and marginal GHG emission prediction methods are in their early stage of research and development. The existing methods can be classified into three groups. In the first group, GHG emission or MEF is estimated through production cost simulations of power systems and electricity markets. Reference [3] used load duration curve and predefined algorithms to emulate power plants dispatch. In [5], the order of dispatching was empirically derived to calculate AEF and MEF. In [6], simulations in detailed transmission system models were used to estimate GHG emissions. These approaches have two drawbacks. First, to accurately predict AEF or MEF, high-fidelity production cost simulations of electricity markets are needed. This can be computationally expensive if MEF needs to be calculated at high granularity in space and time. Second, only the market operators have access to accurate models of transmission networks and propriety bids and offers submitted by power producers and load serving entities, making it difficult for others to apply these methods.

The second group of methods are based on clustering and linear regression. In [7], [8], linear regression was used to predict GHG emissions from load. In [9], cluster analysis was first conducted on daily load curves and linear regression models were developed for each cluster to predict MEF. The drawback of these approaches is that linear regression models...
can not accurately capture the complex interactions between different influential factors in determining GHG emissions.

In the third group, machine learning models such as feed-forward neural networks (FNNs) [10], [11], support vector machines (SVMs) [12], and long short-term memory (LSTM) networks [11] were proposed to predict GHG emissions. In [13], an ensemble model combining multiple basic models such as FNN, LSTM, and random forest (RF) was trained to predict GHG emissions. Although machine learning models have shown good prediction accuracy, most of them were designed to do long-term predictions at very low time granularity, such as yearly GHG emissions, which are not sufficient for short-term control of flexible loads and smart buildings. Furthermore, these machine learning models were designed separately to forecast GHG emissions in each region, ignoring the interactions between different load serving zones, which greatly limited the prediction accuracy.

The marginal GHG emission factor varies by load zones or electric buses due to the limited power transfer capability between zones and nodes in the power system. To accurately predict the locational MEF, the information from the entire transmission network should be effectively leveraged. Graph neural network (GNN) [14], [15] is an ideal candidate for processing and learning from information collected from a complex network such as the power grid. In fact, GNN has received increasing attention in recent years from researchers to tackle a number of prediction, estimation and optimization problems in power systems such as optimal power flow [16], solar energy prediction [17], parameter estimation [18], state estimation [19], and system health index prediction [20].

In this paper, we propose a hybrid machine learning model, which integrates FNNs with spatio-temporal graph convolutional networks (STGCNs) [21] to predict GHG emissions and the MEF. We adopted the STGCN due to its capability to efficiently capture temporal and spatial structure of the network data. Compared with existing GHG emission prediction methods, our proposed model has three advantages. First, the propose model captures the complex interactions between multiple load zones and thus provides highly accurate locational MEF prediction. Second, the proposed model provides short-term MEF predictions at hourly granularity to aggregators and end-users for the control of flexible loads. Thirdly, the proposed model uses only publicly available electricity market and power system information, making it widely applicable. A comprehensive case study in California electricity market shows that the proposed method has more accurate predictions of GHG emissions and MEF than baseline methods.

The rest of the paper is organized as follows. Section II describes the problem setup and the dataset. Section III presents the technical details of the proposed hybrid machine learning model. Section IV evaluates the GHG emission prediction performance and the analyzes the MEF in different scenarios. Section V states the conclusion.
TABLE II: Summary of the Regions and Balancing Authorities of the Load Data

<table>
<thead>
<tr>
<th>Code Name</th>
<th>Full Name</th>
<th>State</th>
</tr>
</thead>
<tbody>
<tr>
<td>MWD-TAC</td>
<td>Metropolitan Water District Transmission System</td>
<td>California</td>
</tr>
<tr>
<td>PGE-TAC</td>
<td>Pacific Gas And Electric</td>
<td>California</td>
</tr>
<tr>
<td>SCE-TAC</td>
<td>Southern California Edison</td>
<td>California</td>
</tr>
<tr>
<td>SDGE-TAC</td>
<td>San Diego Gas And Electric</td>
<td>California</td>
</tr>
<tr>
<td>VEA-TAC</td>
<td>Valley Electric Association</td>
<td>California</td>
</tr>
<tr>
<td>IPCC</td>
<td>Idaho Power Company</td>
<td>Idaho</td>
</tr>
<tr>
<td>PACE</td>
<td>PacifiCorp East</td>
<td>Utah</td>
</tr>
<tr>
<td>PCW</td>
<td>PacifiCorp West</td>
<td>Utah</td>
</tr>
<tr>
<td>PGE</td>
<td>Portland General Electric</td>
<td>Oregon</td>
</tr>
<tr>
<td>PSEI</td>
<td>Puget Sound Energy</td>
<td>Washington</td>
</tr>
<tr>
<td>NEVP</td>
<td>Nevada Energy</td>
<td>Nevada</td>
</tr>
</tbody>
</table>

north, middle, and south of California and are coded as NP15, ZP26, and SP15. They were two day-ahead predictions made by CAISO. Natural gas is the main fuel source for thermal power plants in California, and thus its price in different regions of California was collected. The power supply by resource type reported by CAISO are used as input features. The output of the prediction model is the total GHG emissions of all the electric power resources in California.

III. TECHNICAL METHODOLOGY

A. Overall Framework of the GHG Emission Prediction Model

The overall framework of the proposed GHG emission prediction model is illustrated in Fig. 2. As shown in the figure, we design a hybrid model that combines both STGCNs and FNNs. The load graph block and the renewable generation graph block are two STGCN models, while the parallel block is an FNN model. The load data and the renewable generation data are fed into the load graph block and renewable generation graph block respectively; these two types of data and other input data are also fed into the parallel block. The outputs of these three blocks are concatenated into one tensor for each time instance, and fed into the output block, which is an FNN network and its output is the predicted GHG emission. The details of the proposed method is described in the following subsections, including the data preprocessing, brief introduction of STGCN, the design of each block, and the data split and hyperparameter tuning.

B. Data Preprocessing

1) Preprocessing of Time Data: We used a binary variable to represent weekday (value 0) and weekend (value 1). To represent month and hour, we use cyclical encoding. In cyclical encoding, The k-th hour \((k = 1, 2, ..., 24)\) is encoded by \([\cos \frac{2\pi k}{24}, \sin \frac{2\pi k}{24}]\). Similarly, the k-th month \((k = 1, 2, ..., 12)\) is encoded by \([\cos \frac{2\pi k}{12}, \sin \frac{2\pi k}{12}]\).

2) Transformation of Data: To improve the convergence in training and prediction accuracy, we applied two types of transformation to the data: z-score normalization and quantile transformation. In the z-score normalization, the data are centered and normalized by their standard deviation. In the quantile transformation, the data are transformed to follow a normal distribution. The z-score normalization is a linear transformation, which preserves the correlations and distances within the data; on the other hand, the nonlinear quantile transformation smooths out unusual distributions and is less influenced by outliers than z-score.

C. Brief Introduction of STGCN

Here we briefly introduce the design of STGCN and more details can be found in [21]. STGCN is designed to process and learn data set collected from a graph. Let \(\mathcal{G} = (\mathcal{V}, \mathcal{E}, \mathcal{W})\) be a graph, in which \(\mathcal{V}\) is the set of vertices (nodes), \(\mathcal{E}\) is the set of edges, and \(\mathcal{W} \subset \mathbb{R}^{n \times n}\) is the weighted adjacency matrix \((n = |\mathcal{V}|)\). The structure of the STGCN model is illustrated in Fig. 3. An STGCN contains three parts: two spatial-temporal convolutional (ST-Conv) blocks and an output layer. Each ST-Conv block contains a “sandwich” structure of two temporal gated convolution (Gated-Conv) layers and one spatial graph convolution (Graph-Conv) layer. The output layer is a fully connected layer.
The Graph-Conv layer uses Chebyshev polynomials to approximate a graph convolution operation \( *G^\Theta \) with a kernel \( \Theta \) as defined in (2):

\[
\Theta_{*G^\Theta} x = \Theta(L)x \approx \sum_{k=0}^{K-1} \theta_k T_k(L)x
\]

Here, \( T_k(L) \in \mathbb{R}^{n \times n} \) is the Chebyshev polynomial of order \( k, L = 2L/\lambda_{\max} - I_n \) is the scaled Laplacian, and \( x \) is an \( n \)-dimensional vector representing the inputs at the graph nodes. \( L = I_n - D^{-1/2}W D^{-1/2} \), \( I_n \) is an identity matrix. \( D \in \mathbb{R}^{n \times n} \) is the diagonal degree matrix derived from \( W \), and \( \lambda_{\max} \) is the largest eigenvalue of \( L \). \( K \) is the kernel size, which determines the maximum radius of the convolution. When each node has a \( C_i \)-channel input and \( C_o \)-dimensional output, the graph is generalized to (3):

\[
y_j = \sum_{i=1}^{C_i} \Theta_{*,i,j}(L)x_i \in \mathbb{R}^n, 1 \leq j \leq C_o
\]

Here \( y_j \in \mathbb{R}^n \) is the nodal output of channel \( j \). \( x_i \in \mathbb{R}^n \) is the nodal input of channel \( i \). When multiple time steps are considered, the input and output will have an additional dimension for time steps.

The temporal Gated-Conv layer is applied to each node in the graph. Let \( M \) be the input time steps; let \( C_i \) and \( C_o \) be numbers of the input and output channels. The Gated-Conv layer first uses a convolution kernel \( \Gamma \in \mathbb{R}^{K_t \times C_i \times 2C_o} \) to perform 1-D causal convolutions of width \( K_t \) and obtains two elements \( P \) and \( Q \), such that \( [P, Q] \in \mathbb{R}^{(M-K_t+1) \times 2C_o} \). Then this layer uses element-wise Hadamard product \( \odot \) to obtain its out as \( P \odot \sigma(Q) \in \mathbb{R}^{(M-K_t+1) \times C_o} \), where \( \sigma() \) is the sigmoid gate.

D. Load Graph Block

To process the load data with a STGCN model, we need to determine the graph, model structure, the inputs and outputs of the model. We use the graph shown in Fig. 1, in which each node represents a balancing authority and each edge represents a transmission path between adjacent regions.

We construct the adjacency matrix \( W \) for the model by using the same weight for each edge in the graph. We use a single-step in both the inputs and outputs of the STGCN. Thus, in the temporal Gated-Conv layers, we set \( K_t = 1 \). We assume that each region have direct interactions with only its nearest neighbors, thus we use a maximum radius of 1 in the Spatial Graph-Conv layer, i.e. \( K = 2 \). To predict the GHG emission at hour \( h \), the inputs of each node in this graph are the load at hour \( h \) and \( h - 24 \) of the corresponding region with both the z-score and quantile transformation. Note that load used here are all one day-ahead predictions.

E. Renewable Generation Graph Block

Similar to the load data, the renewable generation data of solar power and wind power also have a graph structure. The renewable generation data was recorded separately in the three regions: NP15, ZP26, and SP15, representing the north, central, and the south parts of California. Thus, the graph of this block was designed as three nodes connected to each other with three edges. We use a single time step in both the input and output, thus we set \( K_t = 1 \). Since it is a small graph, any non-zero convolution radius will average the nodal features. Hence, we set \( K = 1 \) to avoid this. To predict the GHG emission at hour \( h \), the inputs of this block are the renewable generation power at hour \( h \) and \( h - 24 \) with both the z-score and quantile transformation for each of the three nodes. Note that the renewable generation data used here are all 2 day-ahead predictions.

F. Parallel Block

Since not all input data are collected from a graph, we also design a parallel block to extract information that are not captured by the STGCN blocks. The inputs to the parallel block include the load data, renewable generation data and other input data. The other input data are the time feature data (described in Section III-B) of hour \( h \) and \( h - 24 \), the natural gas price at hour \( h \) and \( h - 24 \), the supply resource mix at hour \( h - 24 \), and the historical GHG emission at hour \( h - 24 \). Every input feature except time and historical GHG emission uses both z-score and quantile transformation. The historical GHG emission uses only the quantile transformation.

G. Output Block

The output block is designed as an FNN with batch normalization before each layer. Its output is the quantile transformation of the GHG emission. The proposed hybrid model is trained to minimize the mean squared error of the quantile-transformed GHG emission. To obtain the final prediction, inverse of quantile transform is performed.

H. Data Split and Hyperparameter Tuning

To train the proposed model and tune its hyperparameters, the dataset is split into three parts. The first 80% of samples are used as the training and validation dataset while the last 20% of the samples were used as the testing dataset to evaluate the model’s GHG emission prediction performance. In the first
80% of samples, for every five day’s data (120 samples), we put the first four days into the training dataset and the last day’s data into the validation dataset. Thus, 64% of the whole data set is used as the training dataset and 16% is used as the validation dataset. The proposed machine learning model contains many hyperparameters: the number of layers in each block, the dimension of each layer, the size of spatial kernel and temporal kernel, learning rate, etc. To systematically tune hyperparameters, for each hyperparameter setup, we trained the model 10 times using the training dataset, and calculate the average prediction error using the validation dataset. The hyperparameter setup with the lowest average error in the validation dataset is chosen as the best hyperparameter setup.

IV. GHG EMISSION PREDICTION PERFORMANCE AND ANALYSIS OF MARGINAL GHG EMISSION

In this section, we evaluate the prediction performance for California’s GHG emissions of the proposed hybrid machine learning model and compared it with two baseline algorithms. We also calculate and analyze the locational MEF under different scenarios.

A. GHG Emission Prediction Performance

We compare the GHG emission prediction performance of our proposed model (hybrid STGCN) and two other baseline models: FNN and gradient boosted trees (GBT). Note that the FNN and GBT models use the same input features as our proposed model.

The hyperparameters all three machine learning models were tuned following the approach in Subsection III-H. We trained the hybrid STGCN model and FNN model using the Adam algorithm, with batch size = 10 and early stopping patience = 10 epochs. We trained the GBT with early stopping patience = 10 rounds. By tuning hyperparameters, the numbers of channels of the three “sandwich” layers in ST-Conv and the output layer of STGCN are $4 \times 2 \times 4 \times 2$ respectively in the load graph block, and $8 \times 4 \times 8 \times 2$ in the renewable generation graph block; the FNN in the parallel block and the output block are two three-layer FNNs of dimension 20–20–1. The number of neurons of the FNN model is 20–20–20–1. All FNN models use batch normalization before each layer.

To evaluate the prediction accuracy of the machine learning models, we train each model 10 times using the training dataset, and then test the models with the testing dataset. Three error metrics are used to evaluate the prediction accuracy: mean squared error (MSE), mean absolute error (MAE), and mean absolute percentage error (MAPE). The prediction performance of the three machine learning models are compared in Table III. For each type of measurements, two values were recorded: the average performance over 10 tests, and the optimal value, i.e. the performance of the model with the lowest validation loss. We can see that our proposed hybrid STGCN model has the lowest prediction error in MSE, MAE, and MAPE in both average value and the optimal value. In addition, by choosing the optimal value from multiple trained models, our proposed prediction model can further improve the prediction accuracy. These results show that by capturing the complex spatio-temporal relationship of the data, our proposed model can significantly improve the accuracy of GHG emission prediction.

<table>
<thead>
<tr>
<th>Model</th>
<th>MSE $(m\text{TCO}_2/h)^2$</th>
<th>MAE $(m\text{TCO}_2/h)$</th>
<th>MAPE (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Hybrid STGCN</td>
<td>2.90/2.77E+03</td>
<td>4.02/3.88E+02</td>
<td>9.46/9.15</td>
</tr>
<tr>
<td>FNN</td>
<td>3.01/3.11E+05</td>
<td>4.09/4.18E+02</td>
<td>10.80/10.36</td>
</tr>
<tr>
<td>GBT</td>
<td>3.25/3.23E+05</td>
<td>4.27/4.25E+02</td>
<td>11.43/11.43</td>
</tr>
</tbody>
</table>

B. Analysis of Locational Marginal GHG Emission

We use the trained hybrid STGCN model to calculate the locational MEF and $\Delta E$, following the definition in (1). The locational MEF and $\Delta E$ are calculated for each hour and each region’s load change in the dataset, with a $\Delta G = 100MW$. We then analyze the locational marginal MEFs in two aspects: hourly pattern of locational MEF with high renewable energy output and weekday/weekend effect.

1) Locational MEF on a Day with High Renewable Energy Output: California has very high renewable energy penetration rate. On March 27, 2022, California hit a record that 94.5% of the electricity on the grid came from renewable energy [23]. We calculate the 24-hour locational MEF on this day in the balancing authority of PG&E and SCE respectively. The result is illustrated in Fig. 4. From this figure, we can see that the marginal GHG emission is significantly lower during the day. This is because solar photovoltaic (PV) generation is very high during these hours and does not emit any GHG. This result shows that the proposed hybrid STGCN model successfully recognizes the contribution of renewable energy in reducing GHG emission. Furthermore, the MEF for SCE and slightly lower than that of PG&E between 12:00 pm and 18:00 pm. This is because Southern California has much higher solar PV generation and not all renewable energy can be moved from Southern California to Northern California due to limited power transfer capability.

2) Weekday/Weekend Effect on Marginal GHG Emission: We calculate the average locational MEF for 24 hours on weekdays and weekends in the PG&E area. The result is
illustrated in Fig. 5. From this figure, we can see that the MEF is lower during the day, which has been explained in Subsection IV-B1. We can also observe that the weekends have lower MEF than the weekdays. This is due to the lower power demand on weekends. When there are lower power demand, system operators can turn off the less fuel-efficient power stations and keep running the power plants with higher fuel-efficiency. These results show that the proposed hybrid STGCN model can reflect the GHG emission differences between weekday and weekends and between different operation conditions.

Fig. 5: Average hourly MEF on weekdays/weekends in PGE.

V. CONCLUSION

In this paper, we developed a hybrid machine learning model by integrating FNN with STGCNs to predict GHG emissions and locational MEF. The STGCN components of the model allows us to capture the complex spatio-temporal correlations in the network data and improves the prediction accuracy. The proposed model can provide short-term locational MEF predictions at hourly granularity to aggregators and end-users to manage flexible loads and it does not require accurate power system model. The numerical study on California’s electricity market shows that the proposed method has more accurate GHG emission predictions than the baseline machine learning models. Detailed analysis also showed how the locational MEF is influenced by load level, hour, and renewable generation levels.

REFERENCES